SYLLABUS FOR THE FOUR-YEAR UNDERGRADUATE PROGRAMME (FYUGP)

As per provision of NEP-2020 Implemented fromAcademic Year 2022 onwards



Session 2024-25

DEPARTMENT OF MATHEMATICS
GOVT. DIGVIJAY AUTONOMOUS P.G. COLLEGE,
RAJNANDGAON (C.G.)

DEPARTMENT OF MATHEMATICS Govt. Digvijay Autonomous PG College, Rajnandgaon, C. G.

Department of Mathematics

List of members of Board of Studies

1. Dr. (SMT) Shabnam Khan (Chairman)-H.O.D. Department of Mathematics Govt. Digvijay Autonomous P.G. College, Rajnandgaon

2. Dr. Rajesh Pandey (V.C. Nominee) -Additional Director, Higher Education Department, Durg Division

Online 3. Dr. C.L. Dewangan (Principal Nominee) -Additional Director, Regional Office, Raipur Division

4. Dr. Pushpa Kaushik (Principal Nominee) -Govt. J. Yoganandam Chhattisgarh College, Raipur

5. Dr. K.K. Dewangan (Member)

6. Dr. Hemant Kumar Sao (Member)

7. Dr. Kavita Sakure (Member)

8. Mr. Rajkumar Jain (Industrialist)

18/1/24 18/1/24 Online 9. Miss Prakshi Nayak (Ex-student)

B. SC. (Multiple Major) – DEGREE COURSE (Session 2024-25) Major - Mathematics

| | SEMEST ER | COURSETYPE | Theory/ Practical | COURSE | PAPER TITLE | CRE | DIT | | Max marks | ESE | IA |
|-------|--------------|------------|----------------------|--------|--|-----|-----|---|--------------|-----|----|
| | | | | | | L | T | P | | | |
| | | DSC-VA | Theory | | Ring Theory and Linear Algebra | 3 | 1 | 0 | 100 | 80 | 20 |
| THIRD | V | DSE-IIIA | Theory | | Mechanics | 3 | 1 | 0 | 100 | 80 | 20 |
| YEAR | | GE –IA | Theory | | Mathematics-I | 3 | 1 | 0 | 100 | 80 | 20 |
| | | SEC-VA | Practical | | Programming with Python | 0 | 0 | 2 | 50 | 40 | 10 |
| | VI | DSC-VIA | Theory | | Metric Space and Complex Analysis | 3 | 1 | 0 | 100 | 80 | 20 |
| | | DSE-IVA | Theory | | Riemann Integration and Series of Functions | 3 | 1 | 0 | 100 | 80 | 20 |
| | | GE- IIA | Theory | | Mathematics-II | 3 | 1 | 0 | 100 | 80 | 20 |
| | | Internship | | | Internship | 0 | 0 | 2 | 50 | 40 | 10 |

ESE- End Semester Exam, IE-Internal Assessment

Instruction for Question paper setting

End Semester Exam (ESE) for DSC, DSE and GE

There will be 03 sections of question of 80marks

Section A- section A will be very short answer type questions consisting 8 questions of 2 marks, two question from each unit.

Section B- section B will be short answer type questions consisting 4 questions of 6 marks each, one question from each unit with internal choice.

Section C- section B will be long answer (Descriptive) type questions consisting 4 questions of 10 marks each, one question from each unit with internal choice.

End Semester Exam (ESE) for SEC-There will be 8 questions of 8 marks each, out of which any 5 question to be answer. Total marks will be 40.

Minimum Pass Marks 40%

| Section |] | Maximum Marks (80) | Maximum Marks (40) | | |
|---------|-------------|--|--------------------|--|--|
| A | 2 x 8 = 16 | Very short answer type questions consisting 8 Questions of 2 marks, two question from each unit. | 8 x 5 = 40 | 8 questions of 8 mark each, out of which any5 question to be answer. | |
| В | 6 x 4 = 24 | Short answer type questions consisting 4 questions of 6 marks each, one question from each unit with internal choice. | | | |
| С | 10 x 4 = 40 | long answer (Descriptive) type questions consisting 4 questions of 10 marks each, one question from each unit with internal choice | | | |

Jap 18.5.21

than the

FYUGP Syllabus Sample

SYLLABUS OF 4 YEARS UG PROGRAM (FYUGP) IN MATHEMATICS, GOVT. DIGVIJAY AUTONOMOUS P G COLLEGE, RAJNANDGAON, AS PER NEP 2020 (SEMESTER-V AND VI)

Program Objective

- Po1- It is to give foundation knowledge for the students to understand basics mathematics including applied aspect for the same.
- Po2- It is to develop enhanced quantative skills and pursuing higher mathematics and research as well as.
- Po3- Students will be able to develop solution –oriented approach towards various issues related to their environment.
- Po4- Students will become employable in various governments, public and private sectors.
- Po5- Scientific tempers in general and mathematical temper in particular will the developed in students.
- Po6- Sufficient subject matter competence and enable students to prepare for various competitive examinations such as IIT-JAM, GATE, GRE, UGC-CSIR, NET/JRF and Civil Services Examinations

Program Specific Outcome (PSO)

- PSO1- Student should be able to process recall basic idea about mathematics which can be displayed by them.
- PSO2- Student should have adequate exposure to many aspects of mathematical sciences.
- PSO3- Student is equipped with mathematical modeling ability, critical mathematical thinking and problem solving skill etc.
- PSO4- Student should be able to apply their skills and knowledge in various fields of studies including science, engineering, commerce and management.

H Sab

yer -



1

)

GOVT. DIGVIJAY AUTONOMOUS P.G. COLLEGE, RAJNANDGAON (C.G.)

B. SC. (Multiple Major) - DEGREE COURSE (session 2024-25) Major 1- Mathematics

| Session: 2024-25 | Program: B.SC. |
|---------------------------|--------------------------------|
| Semester: V | Subject: Mathematics |
| Course Type: DSC-VA | Course Code: |
| Course Title: | RING THEORY AND LINEAR ALGEBRA |
| Credit: 4 | Lecture: 60 |
| M.M. 100 = (ESE 80+IA 20) | Minimum Passing Marks: 40% |

| Title | RING THEORY AND LINEAR ALGEBRA |
|-------------------------|---|
| Course LearningOutcome: | (i) Liner algebra is a basic course in almost all branches of science. The objective of this course is to introduce a student to the basics of linear algebra and some of its applications. |
| | (ii) Students will be able to know the concepts of polynomial ring vector space, and other related properties which will prepare the students to take up further applications in the relevant fields. |
| | (iii) Basic concepts of linear transformations, dimension theorem, matrix representation of a linear transformation, and the change of coordinate matrix. |
| | (iv) Compute inner products and determine orthogonality on vector spaces, including Gram-Schmidt orthogonalization to obtain orthogonal basis. |
| | (v) The student will use this knowledge in computer science, finance mathematics, industrial mathematics and bio mathematics. After completion of this course students appreciate its interdisciplinary nature. |

| Units | Lectures | Lectures (15 x 4 = 60) | Credit |
|-------------------|----------|---|--------|
| | | RING THEORY AND LINEAR ALGEBRA | |
| I | 15 | Polynomial Ring Polynomial rings over commutative rings, division algorithm and consequences, principal ideal domains, factorization of polynomials, reducibility tests, irreducibility tests, Eisenstein criterion, and unique factorization in Z [x]. Divisibility in integral domains, irreducible, primes, unique factorization domains, Euclidean domains. | 1 |
| II | 15 | Vector spaces Definition and properties of Vector spaces, subspaces, algebra of subspaces, quotient spaces, linear combination of vectors, linear span, linear independence, basis and dimension, dimension of subspaces. | 1 |
| III | 15 | Linear Transformations Definition and examples, Algebra of linear transformations, Matrix of a linear transformation, Change of coordinates, Rank and nullity of a linear transformation and rank-nullity theorem .Dual and second dual of a vector space, Transpose of | 1 |
| FYPOR Syllabus Sa | 50 | a linear transformation, Eigen vectors and eigen values of a linear transformation, Characteristic polynomial, similar | |

Jan 18.5.24

30

Lloger

| | | Matrices, diagonalization of matrix. Cayley-Hamilton theorem, Minimal polynomial. | |
|----|----|--|---|
| IV | 10 | Inner Product Spaces Inner product spaces and orthogonality, Cauchy-Schwarz inequality, Gram-Schmidt orthogonalisation, Diagonalisation of symmetric matrices. Bilinear, Quadratic and Hermitian | 1 |

| 1. John B. Fraleigh, A First Course in Abstract Algebra, 7th Ed., Pearson, 2002. |
|--|
| 2. Gallian, J. A., Contemporary Abstract Algebra, 4th Ed., Narosa Publishing house, 1999 |
| 3. M. Artin, Abstract Algebra, 2nd Ed., Pearson, 2011. |
| 4. S. Lang, Introduction to Linear Algebra, 2nd Ed., Springer, 2005. – 21 |
| 5. Kenneth Hoffman and Ray Alden Kunze, Linear Algebra, 2nd Ed., Prentice-Hall of India Pvt. Ltd., 1971. |
| S.H. Friedberg, A.L. Insel and L.E. Spence, Linear Algebra, Prentice Hall of India Pvt. Ltd. 2004. |
| 7. Gilbert Strang, Linear Algebra and its Applications, Thomson, 2007. |
| 8. Linear Algebra by J.N. Sharma and A.R. Vasista, published by Krishna Prakashan Mandi Meerut- 250002 |
| 9. Rings and linear Algebra by Pundir and Pundir, Pragati Prakashan, Merath |
| 10. A Textbook of B.Sc. Mathematics Linear Algebra, S Chand publications |
| 11. Suggestive digital platforms web links: NPTEL/SWAYAM/MOOCS |
| 11. Suggestive digital platforms web links: NPTEL/SWAYAM/MOOCS |
| |

H Sob (3) 5/24 Sof



GOVT. DIGVIJAY AUTONOMOUS P.G. COLLEGE, RAJNANDGAON (C.G.) B. SC. (Multiple Major) - DEGREE COURSE (session 2024-25) Major - Mathematics

| Session: 2024-25 | Program: B.Sc. |
|--------------------------------|----------------------------|
| Semester: V | Subject: Mathematics |
| Course Type: DSE-IIIA (Theory) | Course Code: |
| Course Title: | MECHANICS |
| Credit: 4 | Lecture: 60 |
| M.M. 100 = (ESE 80 + IA 20) | Minimum Passing Marks: 40% |

| Title | MECHANICS |
|-----------------------------|--|
| Course Learning Outcome: | Familiarize with subject matter, which has been the single centre, to which were drawn mathematicians, physicists, astronomers, and engineers together. Understand necessary conditions for the equilibrium of particles acted upon by various forces and Learn the principle of virtual work for a system of coplanar forces acting on a rigid body. Determine the centre of gravity of some materialistic systems and discuss the equilibrium of a uniform cable hanging freely under its own weight. Deal with the kinematics and kinetics of the rectilinear and planar motions of a particle including the constrained oscillatory motions of particles. |

| Units | Lectures | Lectures (15 x 4 = 60) | Credits |
|-------|----------|---|---------|
| I | 15 | Analytical Conditions of Equilibrium of Coplanar Force Equilibrium under three forces, Lami's theorem, Projectile: Definitions, To Find the time of flight, time to reach the highest point, Range on horizontal plane, projection on inclined plane. | 1 |
| II | 15 | Virtual work: Principle of Virtual work for coplanar forces acting at different points of a rigid body, to find Tension on a string or Thrust on rod, Virtual work for bodies resting an inclined planes | 1 |
| III | 15 | Catenary: Definitions To find the intrinsic equation, Cartesian equation of Catenary, Geometrical properties of the Catenary, Sag of telegraph wires (tightly stretched wires) | 1 |
| IV | 15 | Simple Harmonic Motion (SHM): Simple Harmonic Motion, Velocities & Acceleration along Radial Transverse Directions, Angular velocity and Angular Acceleration, Radial and Transverse component of Velocity and Acceleration | |

| List of Books | 1. S. L. Loney (2006). An Elementary Treatise on the Dynamics of a Particle and of |
|--|--|
| | Rigid Bodies. Read Books. |
| | 2. P. L. Srivatava (1964). Elementary Dynamics. Ram Narin Lal, Beni Prasad |
| | Publishers Allahabad. |
| | 3. J. L. Synge & B. A. Griffith (1949). Principles of Mechanics. McGraw-Hill. |
| | 4. S. Ramsey (2009). Statics. Cambridge University Press. |
| Rigid Bodies. Read Books. 2. P. L. Srivatava (1964). Elementary Dynamic Publishers Allahabad. 3. J. L. Synge & B. A. Griffith (1949). Principles of M 4. S. Ramsey (2009). Statics. Cambridge University 5. S. Ramsey (2009). Dynamics. Cambridge University 6. R. S. Varma (1962). A Text Book of Statics. Pothis | 5. S. Ramsey (2009). Dynamics. Cambridge University Press. |
| | 6. R. S. Varma (1962). A Text Book of Statics. Pothishala Pvt. Ltd. |
| | 7. Suggestive digital platforms web links: NPTEL/SWAYAM/MOOCS |

Shot on 22

2 PC

Holy .



B. SC. (Multiple Major) - DEGREE COURSE (session 2024-25)

Major - Mathematics

(For students of Science stream who have not chosen Mathematics as one of the DSC Course)

| Session: 2024-25 | Program: B.Sc. |
|------------------------------------|----------------------------|
| Semester: V | Subject: Mathematics |
| Course Type: GE-IA (Theory) | Course Code: |
| Course Title: | MATHEMATICS-I |
| Credit: 4 | Lecture: 60 |
| M.M. 100 = (ESE 80 + IA 20) | Minimum Passing Marks: 40% |

| Title | MATHEMATICS-I |
|-----------------------------|--|
| Course Learning Outcome: | Learn to solve system of linear equations. Solve the system of homogeneous and non homogeneous m linea equations by using the concept of rank of matrix, finding eigen values and eigenvectors Students will be familiar with the techniques of differentiation of function with real variables Identify and apply the intermediate value theorems and L'Hospital |

| Jnits Le | ectures | Lectures $(15 \times 4 = 60)$ | Credits |
|----------|---------|---|---------|
| I | 15 | Matrices Recapitulation of Symmetric and Skew Symmetric matrices, Algebra of Matrices; Row and column reduction, Echelon form. Rank of a matrix; Inverse of a matrix by elementary operations; Solution of system of linear equations; Criteria for existence of non-trivial solutions of homogeneous system of linear equations | |
| п | 15 | Application of Matrices Solution of system of linear equations; Criteria for existence of non-trivial solutions of homogeneous system of linear equations. Solution of non-homogeneous system of linear equations. Eigen values and Eigen vectors of square matrices, Cayley-Hamilton theorem, inverse of matrices by Cayley-Hamilton theorem (Without Proof). | 1 |
| III | 15 | Differential Calculus Limits, Continuity, Differentiability and properties. Intermediate value theorem, Rolle's Theorem, Lagrange's Mean Value theorem, Cauchy's Mean value theorem (Without Proof). and examples. Taylor's theorem, Maclaurin's series, Indeterminate forms (Without Proof). and examples. | 1 |
| IV | 15 | Successive Differentiation nth Derivatives of Standard functions $eax+b$, $(ax+b)n$, $\log(ax+b)$, $\sin(ax+b)$, $\cos(ax+b)$, $e^{ax}\sin(bx+c)$, $e^{ax}\cos(bx+c)$, Leibnitz theorem (Without Proof) and its applications. | 1 |

- 2. Theory of Matrices B S Vatsa, New Age International Publishers, 2010.
- 3. Matrices A R Vasista, Krishna Prakashana Mandir, 2014.
- 4. Differential Calculus Shanti Narayan, S. Chand & Company, NewDelhi, 1998.
- 5. Applications of Calculus, Debasish Sengupta, Books and Allied (P) Ltd., 2019.
- 6. Calculus Lipman Bers, Holt, Rinehart & Winston, 1969.
- 7. Calculus S Narayanan & T. K. Manicavachogam Pillay, S. Viswanathan Pvt. Ltd., vol. I &II, 2009.
- 8. Suggestive digital platforms web links: NPTEL/SWAYAM/MOOCS

FYUGP Syllabus Sample

V.

A STORY

Hopez



B. SC. (Multiple Major) - DEGREE COURSE (session 2024-25)

Major - Mathematics

Department- Mathematics

| Session: 2024-25 | Program: B.Sc. |
|--------------------------------|--|
| Semester: V | Subject: Mathematics |
| Course Type: SEC-VA(Practical) | Course Code: |
| Course Title: | PROGRAMMING WITH PYTHON |
| Credit: 2 | Practical Hours : 02 Hours/week Total practical hours- 28 Hours |
| M.M. $100 = (ESE-40+IA-10)$ | Minimum Passing Marks: 40% |

| Title | PROGRAMMING WITH PYTHON | |
|-----------------------------|---|--|
| Course Learning Outcome: | Learn the syntax and semantics of Python programming language. Write Python functions to facilitate code reuse and manipulate strings. Understand the use of built-inunctions to navigate the file system Apply the concepts of file handling. | |

| Units | Lect ures | Lectures (15 x 2 = 30) | Credits |
|-------|--------------|---|---------|
| I | 15 | Introduction, Basics and Program flow: Python character set, Tokens, Variables and assignments, print statement, comments, Python data structure and data types, string operation in Python, Simple input and output including simple output formatting, operators in Python, expressions, standard library modules, Debugging, indentation, Flow of control (if, ifelse, ifelif, nestedif), range function, iteration/looping statements, String and list manipulation, Tuples, dictionaries, sorting techniques. | 1 |
| П | 15 | Functions, libraries and File handling: Understanding and creating your own functions, Function parameters, Flow of execution in A function call, passing parameters, returning values from functions, Scope of a function, Importing modules in a Python using standard library functions and Modules, Creating, A Python library, Data files, Operating and closing files, working with text files, Standard input, output and error streams, Working with binary and CSV files. | 1 |

A Jao Ompr

90

Man

| | 1Programs to demonstrate the usage of operators and Input / Output statements |
|---------------------|---|
| | 2 Programs to demonstrate the usage of conditional statements |
| | 3 Programs to demonstrate usage of control structures |
| | 4 Programs to demonstrate the usage of Functions |
| List of Practical's | 5 Programs to demonstrate the usage of recursion functions |
| Discoi i ractical s | 6 Programs to demonstrate the usage of String functions |
| | 7 Programs to demonstrate the usage of lists. |
| | 8 Programs to demonstrate the usage of dictionaries |
| | 9 Programs to demonstrate the usage of tuples. |
| | 10 Programs to apply the concepts of file handling and regEx using packages. |
| | 11 Programs to search and sort the numbers |
| | 12 Programs to demonstrate the working of scraping websites with CSV |
| | 1. Automate theBoring Stuff with Python-AlSweigart,WillamPollock,2015 |
| | 2. Python Cook Book-David Beazely and BrainK.Jones2022. |
| | 3. Basic Python Programming for Beginners –Varada Rajkumar,Marapalli |
| | Krishna, Jaya Prakash,BlueRose Publishers,2022. |
| | 4. Python-John Shovicand Alan Simpson, Paperback,2020. |
| list of books | 5. Learning Python -MarkLutz,O'ReillyMedia,Paperback,2ndedition,2020. |
| | 6. Programming and Problem Solving Through Python-SatishJain and Shashi |
| | Singh, BPB Publications,2020 |
| | |

Jupe De To



B. SC. (Multiple Major) - DEGREE COURSE (session 2024-25)

Major - Mathematics

Department- Mathematics

| Session: 2024-25 | Program: B.Sc. |
|-------------------------------|------------------------------------|
| Semester: VI | Subject: Mathematics |
| Course Type: DSC-VIA (Theory) | Course Code: |
| Course Title: | METRIC SPACES AND COMPLEX ANALYSIS |
| Credit: 4 | Lecture: 60 |
| M.M. 100 = (ESE 80+IA 20) | Minimum Passing Marks: 40% |

| Title | Metric Spaces and Complex Analysis |
|-----------------|--|
| | The course will enable the students to: |
| Course Learning | Understand the basic concepts of metric spaces; |
| | 2. Correlate these concepts to their counter parts in real analysis; |
| Outcome: | 3. Appreciate the abstractness of the concepts such as open balls, close |
| | balls, compactness, connectedness etc |
| | 4. Understand complex variable, Mappings and Continuity, Derivatives. |
| | 5. Learn about Analytic functions and their applications. |
| | 6. Solve real-life problems of complex analysis |

| Units | Lectures | Lectures (15 x 4= 60) | Credits |
|-------|----------|--|---------|
| I | 15 | Metric spaces: Definition and examples. Open and closed balls, neighborhood, open set, interior of a set. Limit point of a set, closed set, diameter of a set, subspaces, dense sets, | 1 |
| п | 15 | Completeness in Metric Spaces Sequences in metric spaces, Cauchy sequences, Complete metric space with Examples, Cantor intersection Theorem Continuity & Uniform Continuity in Metric Spaces | 1 |
| | | Continuous mappings, Sequential criterion and other characterizations of continuity, Uniform continuity, Homeomorphism, Contraction mapping. | |
| III | 15 | Complex Analysis: Functions of complex variable, Mappings; Mappings by the exponential function, Limits, Theorems on limits, Limits involving the point at infinity, Continuity, Derivatives, Differentiation formulae, Cauchy-Riemann equations, Sufficient conditions for differentiability; | 1 |
| IV | 15 | Analytic functions and their examples, Harmonic Function, method of construction of a regular function (Milne-Thomson's Method). Conformal Mapping, necessary. & sufficient Condition; | 1 |
| | | inverse point, bilinear transformation, critical point, cross ratio, fixed point. | |

grupe. 24

WIDE

Shot on Viz

io -

2 Noves

List of **Books**

- 1. Metric Spaces and Complex analysis, by K P Gupta and Sudhir Pundhir, Pragati Prakashan 2019.
- Mathematical Analysis by S C Malik and Savita Arora, New Age International(P)Limited, Publishers, Fifth Edition, 2017
- A Course of Mathematical Analysis by Shanti Narain., S. Chand Publishing, 2013.
- Metric Spaces by Satish Shirali and H.L. Vasudeva, Springer, First Indian Print, 2009.
- Topology of Metric Spaces, Second edition, by S. Kumarsen, Narosa Publishing House. New Delhi, 2014.
- 6. Introduction to Topology and Modern Analysis by G.F. Simmons, Tata McGraw Hill. New Delhi, 2004.
- 7. Function of Complex Variable, Second Edition, by Shanti Narain, S Chand & Co Ltd, 2005.
- 8. Complex variable and applications, Ninth Edition by James Brown & Ruel Churchill, McGraw Hill Higher Education, 2013.
- Suggested digital platform: NPTEL/SWAYAM/MOOCS

ico. VIII



B. SC. (Multiple Major) - DEGREE COURSE (session 2024-25)

Major - Mathematics

Department- Mathematics

| Session: 2024-25 | Program: B.Sc. |
|--------------------------------------|---|
| Semester: VI | Subject: Mathematics |
| Course Type: DSE-IVA (Theory) | Course Code: |
| Course Title: | RIEMANN INTEGRATION & SERIES OF FUNCTIONS |
| Credit: 4 | Lecture: 60 |
| M.M. 100 = (ESE 80+IA 20) | Minimum Passing Marks: 40% |

| Title | Metric Spaces and Complex Analysis |
|-----------------------------|--|
| Course Learning Outcome: | The course will enable the students to: Learn about some of the classes and properties of Riemann integrable functions, Learn about the applications of the Fundamental theorems of integration. Know about improper integrals including, beta and gamma functions. Learn about Cauchy criterion for uniform convergence and Weierstrass M-test for uniform convergence. Know about the constraints for the inter-changeability of differentiability and integrability with infinite sum. |

| Units | Lectures | Lectures (15 x 4= 60) | Credits |
|-------|----------|--|---------|
| I | 15 | Riemann Integration: Definition of Riemann integration, Inequalities for upper and lower Darboux sums, Inequality of integrals, Refinement of partitions, Darboux's theorem, Necessary and sufficient conditions for the Riemann integrability, Integrability of the sum, difference, product, quotient and modulus of integrable functions, Definition of Riemann integration by Riemann sum and equivalence of the two definitions, Riemann integrability of monotone functions and continuous functions | 15 |
| II | 15 | Definitions of piecewise continuous and piecewise monotone functions and their Riemann integrability, The fundamental theorem of Calculus, First mean Value theorem, Generalized First mean Value theorem, Second Mean Value Theorem, and the integration by parts. | 15 |
| III | 15 | Improper Integral: Improper integral, Integration of unbounded functions with finite limit of integration, Comparison test for convergence at a of $\int_a^b f dx$: Comparison | 15 |
| | | Test I (Comparison of integrals), Comparison Test II (limit form), General Test of Convergence, Absolute convergence, Infinite range of integration, Comparison test for convergence at ∞, Integrand as product of functions, | |

P Syllabus Sample Harry Barry S

The state

| IV | 15 | Pointwise convergence, uniform convergence on an interval, Cauchy's criterion for uniform convergence, Test for uniform | 15 |
|----|----|---|----|
| | | convergence of sequences, Test for uniform convergence of series, Properties of uniformly convergent sequence and | |
| | | series, Uniform convergence and continuity, Dini's theorem on uniform convergence, Uniform convergence and | |
| | | integration, Uniform convergence and differentiation, | |
| | | Weierstrass Approximation theorem, | |

List ofBooks 1. K.A. Ross, Elementary Analysis, The Theory of Calculus, Undergraduate Texts in Mathematics, Springer (SIE), Indian reprint, 2004. 2. R.G. Bartle D.R. Sherbert, Introduction to Real Analysis, 3rd Ed., John Wiley and Sons (Asia) Pvt. Ltd., Singapore, 2002. 3. Charles G. Denlinger, Elements of Real Analysis, Jones & Bartlett (Student Edition), 2011.

4. S.C. Malik and Savita Arora, Mathematical Analysis (Fourth Edition) by S.C. Malik and Savita Arora

Sand

Jan 12.5,24

r D

House



B. Sc. (Multiple Major) - DEGREE COURSE (session 2024-25)

Major - Mathematics

Department- Mathematics

| Session: 2024-25 | Program: B.Sc. | |
|------------------------------|----------------------------|--|
| Semester: VI | Subject: Mathematics | |
| Course Type: GE-IIA (Theory) | Course Code: | |
| Course Title: | MATHEMATICS II | |
| Credit: 4 | Lecture: 60 | |
| M.M. 100 = (ESE 80+IA 20) | Minimum Passing Marks: 40% | |

| Title | MATHEMATICS II |
|-----------------------------|--|
| Course Learning Outcome: | The course will enable the students to: Recognize the mathematical objects called Groups. Link the fundamental concepts of groups and symmetries of geometrical objects. Explain the significance of the notions of Cosets, normal subgroups and factor groups. Understand the concept of differentiation and fundamental theorems in differentiation and various rules. Find the extreme values of functions of two variables. |

| Units | Lectures | Lectures (15 x 4 = 60) | Credit |
|-------|----------|--|--------|
| I | 15 | Groups : Definition of a group with examples and properties, congruence, problems. Subgroups, center of groups, order of an element of a group and its related theorems, cyclic groups, Coset decomposition. | 1 |
| П | 15 | Partial Derivatives: Functions of two or more variables-explicit and implicit functions, partial derivatives. Homogeneous functions- Euler's theorem, total derivatives, Jacobians and standard properties and illustrative examples. | 1 |
| III | 15 | Integral Calculus: Recapitulation of definite integrals and its properties. Line integral: Definition of line integral and basic properties, examples on evaluation of line integrals | 1 |
| IV | 15 | Beta and Gamma Function: Definitions and its simple properties. Double and Triple integral: Definitions and its simple properties. | 1 |

List of

Books

1. Modern Algebra, Sharma and Vasishta, Krishna Prakashan Mandir, Meerut, U.P,

2. A Course in Abstract Algebra, Vijay K Khanna and S K Bhambri, Vikas Publications,

3. Differential Calculus, Shanti Narayan, S. Chand & Company, NewDelhi, 1998.

4. Integral Calculus, Shanti Narayan and P K Mittal, S. Chand and Co. Pvt.Ltd., 2015.

5. Schaum's Outline Series, Frank Ayres and Elliott Mendelson, 5th ed. USA:McGraw Hill., 2008.

6. Mathematical Analysis, S.C. Malik, WileyEastern, 1992.

7. Text Book of B.Sc. Mathematics, G.K. Ranganath, S.Chand & Company, 2011.



B. SC. (Multiple Major) - DEGREE COURSE (session 2024-25)

Major - Mathematics

Department- Mathematics

| Session: 2024-25 | Program: B.Sc. | |
|-------------------------------------|--|--|
| Semester: VI | Subject: Mathematics | |
| Course Type: Internship (Practical) | Course Code: | |
| Course Title: | Internship (Practical) | |
| Credit: 2 | Credit internship is equal to 30 hrs on field experience | |
| M.M. 50 = (10+20+10+10) | Minimum Passing Marks: 40% | |

| Title | Internship (Practical) | |
|-------------------------|---|--|
| _ | At the end of the course students will be able to: | |
| Course LearningOutcome: | 1. Conduct the field visit based on the objectives of the internship | |
| | 2. Participate in a professional activity and gain practical work experience. | |
| | 3. Learn the behavioral approach and fascinate in communication. | |
| | 4. Interact with the different personalities of local agencies. | |
| | 5. Prepare the report with sound techniques/ technology | |

Internship

A course requiring students to participate in a professional activity or work experience or cooperative education activity with an entity external to the education institution, normally under the supervision of an expert of the given external entity. A key aspect of the internship is induction into actual work situations for 2 credits. Internships involve working with local industry, local governments (such as panchayats, and municipalities) or private organizations, business organizations, artists, crafts persons, and similar entities to provide opportunities for students to actively engage in on-site experiential learning.

Note:

- 1. Credit internship is equal to 30 hrs on field experience.
- 2. Internship shall be Discipline Specific of 45-60 hours (2 credits) with duration 1-2 weeks.
- 3. Internship will be part-time (weekly 4hrs in the academic session for 12-13 weeks).
- 4. Internship mentor/supervisor shall avail work allotment during the 6th semester for Maximum of 20 hours
- 5. The student should submit the final internship report (45-60 hours of Internship) to the mentor for completion of the internship.
- 6. Method of evaluation: Presentations/Report submission/Activity etc

Formative Assessment for Internship

Assessment Distribution of Marks

Internal Assessment Test- 10

Case Study/ Assignment/ Field activity/Project etc - 20

Report Presentation and Discussion -10

Viva-Voce -10

Total 50Marks

Whenever an internship is not feasible, the students can choose the Project work Project Work

A project may be undertaken in the form of a case study or otherwise and data be collected, if required, as the case may be. The topic of the project be chosen in consultation with the assigned supervisor and the candidate should prepare a summary/synopsis of the proposed project related to some topic in Mathematics. The project work may include in Educational Institutions /R & D organizations/review of current literature/ theoretical methods/ Mathematical applications. The candidate needs to collect data/related literature on any particular aspect of the identified topic and shall prepare the report of the project from historical point of view, or as a survey or unification

of different aspect.

